## 21P161

(Pages: 3

FIRST SEMESTER M.A. DEGREE EX	K/
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(CBCSS-I

(Regular/Supplementary CC19P ECO1 C04 – QUANTITATIVE METH

COTC04 = QUANTITATIVE METHO

(Economic (2019 Admission

Time: 3 Hours

## Part A

Answer <i>all</i> qu	estions. Each quest
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1. What is the integral of  $e^{-x}$ ?

a)  $-e^{-x} + c$  b) x+c

- 2. The function of the form y = ax+b is called aa) linearb) logarithmic
- 3. The difference between the total amount that actual consumer expenditure is called .......a) Consumer surplus b) producer surplus
- 4. Specify the degree of the differential equation

a) 0

- 5. The sum of first 9 natural numbers is ......a) 55b) 50
- 6. A diagonal matrix in which each of the diagonal
  - a) unit matrix b) triangular matrix

b) 1

- 7. What is the common ratio of 18, -12, 8, .....
  a) 2/3
  b) -2/3
- 8. The decrease in the price or the value of the analysis annuityb) depreciation
- 9.  $\lim_{x \to 0} \frac{e^{x} 1}{2x} = \dots \dots$ a) 0 b) <sup>1</sup>/<sub>2</sub>
- 10. The n<sup>th</sup> term of an arithmetic progression is

a) a+(n-1)+d b) a + (n-1)d

(1)

3) Nar	ne:
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XAMINATION, NOV PG)	EMBER 2021
ry/Improvement)	
	OMIC ANALYSIS - I
ics)	
n onwards)	wimum: 20 Waightaga
1012	aximum: 30 Weightage
A	
stion carries 1/5 weigh	ntage.
c) $\frac{e^x}{2} + c$	d) none of these
a function	
c) polynomial	d) rational
nat consumers would	be willing to spend and
c) demand	d) supply
$\sin\frac{d^3y}{dx^3} + 3x^2y\left(\frac{d^2y}{dx^2}\right) + \frac{d^2y}{dx^2} = \frac{d^2y}{dx^2} + $	$-2y^4=0.$
c) 2	d) 3
c) 45	d) 53
onal element's unity i	is called
c) diagonal matrix	d) zero matrix
?	
c) -3/2	d) 6
assets with time is ca	lled
c) interest	d) sinking
c) e	d) none of these
/ -	,
c) $a + n(n-1)d$	d) a + nd

**Turn Over** 

11. If $4x + 7y = 8$ , then the value of <i>the</i> slope is					
a) 4/6	b) -4/7	c) <sup>3</sup> ⁄ <sub>4</sub>	d) none of these		
12. The characteristic roots	of $A = \begin{bmatrix} 2 & 3 \\ 3 & 2 \end{bmatrix}$ are				
a) 3,2	b) 1,-5	c) -1,5	d) none of these		
13. The value of $\int_0^1 x^4 dx$ is					
a) 1/5	b) 0	c) 1	d) none of these		
14. The estimated change in	total utility from a un	it change in the	utilization of the product per		
unit time is termed as					
a) marginal utility	b) revenue utility	c) cost utility	d) price utility		
15. The necessary and sufficient	cient condition for a sq	uare matrix A t	o possess the inverse is		
a) $ A  \neq 0$	b) $ A  = 0$	c) $ A  = 1$	d) none of these		
			$(15 \times 1/5 = 3 \text{ Weightage})$		
<b>Part B</b> (Very short answer questions)					
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	<b>Part B</b> (Very short a ny <i>five</i> questions. Each	-			
16. Define sinking fund	ny <i>five</i> questions. Each	question carrie			
	ny <i>five</i> questions. Each	question carrie			
16. Define sinking fund	terminant $\begin{vmatrix} 1 & 4 & -4 \\ 3 & -5 & 7 \\ 1 & 4 & 8 \end{vmatrix}$	question carrie	s 1 weightage.		
<ul><li>16. Define sinking fund</li><li>17. Find the value of the definition</li></ul>	terminant $\begin{vmatrix} 1 & 4 & -4 \\ 3 & -5 & 7 \\ 1 & 4 & 8 \end{vmatrix}$	question carrie	s 1 weightage.		
<ul><li>16. Define sinking fund</li><li>17. Find the value of the de</li><li>18. Draw the graph of incre</li></ul>	terminant $\begin{vmatrix} 1 & 4 & -4 \\ 3 & -5 & 7 \\ 1 & 4 & 8 \end{vmatrix}$ asing function and dec	question carrie	s 1 weightage.		
<ul> <li>16. Define sinking fund</li> <li>17. Find the value of the defined</li> <li>18. Draw the graph of incres</li> <li>19. Find ∂f/∂x for f=2xe<sup>x</sup>+y</li> </ul>	terminant $\begin{vmatrix} 1 & 4 & -4 \\ 3 & -5 & 7 \\ 1 & 4 & 8 \end{vmatrix}$ asing function and dece	question carries	s 1 weightage.		
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<ul> <li>16. Define sinking fund</li> <li>17. Find the value of the defined</li> <li>18. Draw the graph of increasing the state of the defined of the defined of the defined of the state of the stateo</li></ul>	terminant $\begin{vmatrix} 1 & 4 & -4 \\ 3 & -5 & 7 \\ 1 & 4 & 8 \end{vmatrix}$ asing function and dec $e^{x}+x^{2}$ ngular matrix er 5 years at 10% rate of between demand, pric	question carries reasing function	s 1 weightage.		
<ul> <li>16. Define sinking fund</li> <li>17. Find the value of the defined</li> <li>18. Draw the graph of increase</li> <li>19. Find ∂f/∂x for f=2xe<sup>x</sup>+y</li> <li>20. Give an example of a since</li> <li>21. If Rs. 45,000 is paid after</li> <li>22. Explain the relationship</li> </ul>	terminant $\begin{vmatrix} 1 & 4 & -4 \\ 3 & -5 & 7 \\ 1 & 4 & 8 \end{vmatrix}$ asing function and dec $e^{x}+x^{2}$ ngular matrix er 5 years at 10% rate of between demand, pric	question carries reasing function	s 1 weightage.		
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- 24. Explain the different types of annuities
- 25. A machine cost 60,000 rupees has been depreciating to 15,000 rupees in 5 years. If the depreciation is calculated on diminishing value, obtain the rate of depreciation.
- 26. A firm knows that the demand function for one of its products is linear. It also knows that it can sell 70 units when the price is Rs. 2 per unit and it can sell 80 units at a price of Rs 3 per unit. Find the demand function and the total revenue function.

27. Find  $x \frac{\partial f}{\partial x} + y \frac{\partial f}{\partial y} + z \frac{\partial f}{\partial z}$  if f=xy+yz+xz 28. Find  $\int_{a}^{b} [e^{-3x} + 2x + x^3 + sinx] dx$ 29. Discuss on average revenue and marginal revenue. 30. Identify the number of terms in the A.P. 10, 13, ..., 40? 31. For f=x<sup>2</sup>+y<sup>2</sup>+xy, show that  $\frac{\partial^2 f}{\partial x^2} + \frac{\partial^2 f}{\partial y^2} = 4$ 32. Explain the relationship between interest rates and price of bonds? 33. Solve the following system of equations by Cramer's rule: x + y = 2, y + z = 4; x + z = 3.

Part D (Essay questions) Answer any two questions. Each question carries 4 weightage 34. Explain the Cobweb model. For the data given below, determine (a) the market price  $P_t$ in any time period, (b) the equilibrium price  $P_e$  and (c) the stability of the time path.  $P_{st} = -30 + 0.3P_{t-1}, P_0 = 220.$ 35. Find the extreme value of the production function P(x,y,z)=2x+3y+z with production

$$Q_{dt} = 180 - 0.75P_t, \qquad Q$$

capacity

$$C(x,y)=x^2 + y^2 - 5$$
 and  $D(x,z)=x+z-1$ , usin

- 36. If the demand function f(q)=30-2q and supply function g(q)=4q+6. Determine consumer's surplus and producer's surplus.
- - a. Slope of the marginal cost at y=5
  - b. average cost
  - c. average variable cost
  - d. The value of 'y' for which marginal cost is same as average variable cost

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## **21P161**

 $(7 \times 2 = 14 \text{ Weightage})$ 

ng the Lagrange's method of multipliers.

37. The cost of producing 'y' tons of steel is given by  $C(y) = y^3 + 2y^2 - 5y + 2$ . Obtain the following.

 $(2 \times 4 = 8 \text{ Weightage})$