| 22P257 |                                   | (Pages   | (Pages: 3)    |  |
|--------|-----------------------------------|--|---------------|--|
| CC     |                                   | IESTER M.A. DEGR<br>(CBCSS)<br>(Regular/Supplemen<br>UANTITATIVE MET | 5 - F<br>tary |  |
|        |                                   | (Econo   |               |  |
|        |                                   | (2019 Admissi  | on            |  |
| Time:  | 3 Hours                           |  |               |  |
|        |                                   | Part   | : <b>A</b>    |  |
|        | Answe                             | r <i>all</i> questions. Each qu                                      | esti          |  |
| 1.     | The set of all possi              | ble outcomes of a rando  | )m (          |  |
|        | (a) Sample space                  |  | (             |  |
|        | (c) Compound even                 | nt   | (             |  |
| 2.     | The probability of                | the interscetion of two i  | nut           |  |
|        | (a) Infinity                      | (b) Zero   | (             |  |
| 3.     | If X is a random va               | ariable and 'b' is a const   | tant          |  |
|        | (a) V (X) + b                     | (b) V (X)  | (             |  |
| 4.     | If A is a constant E              | E(A) =:  |               |  |
|        | (a) A                             | (b) 0  | (             |  |
| 5.     | If X and Y are rand               | lom variables, then E(X  | Ξ+Y           |  |
|        | (a) E(XY)                         | (b) E(Y)   | (             |  |
| 6.     | Mean of binomial                  | distribution is:   |               |  |
|        | (a) Always more than its variance |  | (             |  |
|        | (c) Always equal to               | o its variance   | (             |  |
| 7.     | A normal distribution is          |  |               |  |
|        | (a) Symmetric                     | (b) Continuous   | (             |  |
| 8.     | The frequency curv                | ve of lognormal distribu   | tion          |  |
|        | (a) Positively skewed (           |  |               |  |
|        | (c) Straight line                 |  | (             |  |
| 9.     | The students t distr              | ibution is introduced by   | /:            |  |
|        | (a) Karl Pearson                  | (b) Laplace  | (             |  |
| 10     | . The t distribution h            | as degrees of freedom:   |               |  |
|        | (a) n                             | (b) 2  | (             |  |
|        |                                   | (1   | )             |  |
|        |                                   |  |               |  |

| ,                      | Name:                            |
|------------------------|----------------------------------|
| E EXAMINATIO           | Reg. No:<br><b>N, APRIL 2023</b> |
| PG)<br>ry/Improvement) |                                  |
| • •                    | NOMIC ANALYSIS – II              |
| ics)                   |                                  |
| n onwards)             | Maximum: 20 Waightaga            |
|                        | Maximum: 30 Weightage            |
| <b>X</b>               |                                  |
| tion carries 1/5 we    | eightage.                        |
| n experiment is:       |                                  |
| (b) Event              |                                  |
| (d) Mutually excl      | usive event                      |
| utually exclussive     | events is always:                |
| (c) One                | (d) None of these                |
| nt then $V(X+b)$ i     | s:                               |
| (c) bV (X)             | (d) None of these                |
| (c) 1                  | (d) 0.5                          |
| Y)=, provided          | all the expectations exist:      |
| (c) $E(X)+E(Y)$        | (d) None of these                |
| (b) Always less th     | an its variance                  |
| (d) Always equal       | to standard deviation            |
| (c) Mesokurtic         | (d) All the above                |
| on is always:          |                                  |
| (b) Symmetric          |                                  |
| (d) Negatively ske     | ewed                             |
| (c) William S Go       | sset (d) None of these           |
| (c) 10                 | (d) n-1                          |

Turn Over

| 11. The values associated with a two-sided 95% confidence interval of the standa | urd normal |
|--|------------|
| distribution are   |            |

| $(a) \pm 1.28$ | $(b) \pm 1.645$ | $(c) \pm 1.96$ | $(d) \pm 2.575$ |
|----------------|-----------------|----------------|-----------------|
|----------------|-----------------|----------------|-----------------|

12. The maximum likelihood estimators are necessarily:

| (a) unbiased  | (b) sufficient | (c) most efficient    | (d) unique          |  |  |
|---|----------------|-----------------------|---------------------|--|--|
| 13. Probability of type I error is called:          |                |                       |                     |  |  |
| (a) Significance Level                              |                | (b) Critical Region   |                     |  |  |
| (c) Power of the test                               |                | (d) None of the above |                     |  |  |
| 14. To test the significance of proportion, we use: |                |                       |                     |  |  |
| (a) t-test  | (b) F-test     | (c) Normal test       | (d) Chi-square test |  |  |

15. Ordinary sign test utilises:

(a) Poisson distribution

(c) both (a) and (b)

 $(15 \times 1/5 = 3 \text{ Weightage})$ 

Part B (Very Short Answer Questions)

Answer any *five* questions. Each question carries 1 weightage.

(b) Binomial distribution

(d) neither (a) nor (b)

16. Mention any two properties of distribution function.

17. Define variance of a random variable using expectation.

18. Mention any two properties of Poisson distribution.

19. Mention any two applications of Lognormal distribution.

20. Mention any two uses of chi square test.

21. Define sufficiency of an estimator.

22. Define critical region and significance level of a test.

23. What is ANOVA?

 $(5 \times 1 = 5 \text{ Weightage})$ 

**Part C** (Short Answer Questions) Answer any seven questions. Each question carries 2 weightage.

24. Define Sample space and Event. When will you say that two events are are mutually exclusive?

25. State and prove the addition theorem of probability.

26. State and prove Bayes' theorem.

27. What are the properties and uses of Binomial distribution?

28. Explain how you would find interval estimates for the variance of a normal population.

- 29. Explain the method of least squares.
- 30. Explain with example Simple and Composite hypothesis.

31. Explain how the Chi-square distribution may be used to test goodness of fit.

32. Explain the procedure in one sample sign test.

33. Explain two way ANOVA technique.

Part D (Essay questions)

Answer any *two* questions. Each question carries 4 weightage.

34. State and prove addition and multiplication theorem of expectation.

35. What is normal distribution? Discuss the useful ness and properties of normal distribution.

36. Explain the terms (i) parameter (ii) statistic (iii) sampling distribution. Derive the sampling distribution of mean of samples from a normal population.

37. (i) Mention the procedure for testing the equality of means of two populations. (ii) For a sample of 100 labourers from Kerala, the average daily wages is Rs. 10.5 with Sd Rs. 1.5. For a sample of 150 labourers from Tamil Nadu, the corresponding figures are Rs. 8 and Rs. 1 respectively. Can you conclude that the average wages of workers in Kerala are more than that of workers in Tamil Nadu?

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## 22P257

## $(7 \times 2 = 14 \text{ Weightage})$

 $(2 \times 4 = 8 \text{ Weightage})$